

Thermal and Thermodynamic Parameters for Glycine (GL) Solvation in Water Theoretically

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ARTICLE INFO

Received: November 19, 2019

Published: December 02, 2019

Citation: Esam A Gomaa, Radwa T Rashad. Thermal and Thermodynamic Parameters for Glycine (GL) Solvation in Water Theoretically. Biomed J Sci & Tech Res 23(2)-2019. BJSTR. MS.ID.003887.

ABSTRACT

The thermal and thermodynamic calculations by using Gaussian 09 were carried out. The aim of this work is to evaluate the physical parameters necessary for solvation process and use them for the calculation of individual thermodynamic parameters which necessary for explaining solvent effect parameters in water. Beginning from the partition functions for the compound used, individual and statistical thermodynamic were calculated and their values were discussed.

Keywords: Glycine; Thermal; Thermodynamics Parameters; Partition Functions; Electronic Thermal Energy; Heat Capacity at Constant Volumes; Translational Energy; Rotation Energy; Vibration Energy

Abbreviations: DFT: Density Functional Theory; ZPVE: Zero-Point Vibrational Energy; CV: Constant Volume; GL: Glycine

Introduction

Table 1: Number of energy levels and their potential energies.

In water	Alpha MOs (Molecular Orbitals)	
Level No.	No. of Electrons	Energy
26	--	0.21573
25	--	0.15019
24	--	0.12096
23	--	0.11508
22	--	0.06381
21	--	0.05805
20	2	-0.17135
19	2	-0.18426
18	2	-0.20462
17	2	-0.30819
16	2	-0.32757

For accurate study, thermodynamic analysis is important for obtaining the individual and specific micro data to illustrate the solute-solvent interaction picture by using Gaussian 09 program. Density functional theory (DFT) were carried out on applying Gaussian 09 program packages [1]. The Beck's 3- parameters exchange functional and Lee - Yang - Paar's correlation functions

(B3LYP) were studied in DFT method [2], 6-321G (D,P) basis sets were applied to give stable geometry. In Gaussian 09 the ideal gas approximation for non-interacting particles are used for starting calculations. The very important point for the calculations is the estimation of partition function $Q(V,T)$ which correspond to total partition function [3,4]. The aim of the work is to complete the study of the active compound glycine thermochemical properties to get light on it and explain its solvent effect (Table 1).

The necessary equations used for evaluating entropy, energy, heat capacity resulting from the calculation frequencies for glycine in water by the use of Gaussian 09 package are given below:

$$S = Nk_B + Nk_B \ln\left(\frac{Q(V,T)}{N}\right) + Nk_B T \left(\frac{\partial \ln Q}{\partial T}\right)_v, \dots\dots\dots(1)$$

Where $n \frac{NA}{N}$ and $N_A k_B = R$ where N_A is Avogadro's number R is the gas constant, k_B is Boltzmann's constant and Q is the partition function changing into log scale we get:

$$S = R \ln(Q_t \cdot Q_e \cdot Q_r \cdot Q_v \cdot e) + T \left(\frac{\partial \ln Q}{\partial T}\right)_v, \dots\dots\dots(2)$$

Where Q is the partition function (total), the Q_t , Q_e , Q_r , Q_v , is the translational, electronic, rotational and vibrational partition function.

The thermal energy can also be obtained from the partition function:

$$E = Nk_B T^2 \left(\frac{\partial \ln Q}{\partial T} \right)_v \dots\dots\dots(3)$$

The heat capacity can be evaluated by applying equation 4:

$$CV = \left(\frac{\partial T}{\partial E} \right)_{N,v} \dots\dots\dots(4)$$

Equations above mentioned will be used for estimation of the available thermodynamic for inorganic and organic compounds from the given and evaluated partition functions [5-10]. The theoretical calculations were done from the contributions for the translation, rotational motion and electronic contributions. The data which obtained from frequency analysis by the need of partition function. For vibrational motion, we Choose the first vibrational energy K, level to be zero level, the corresponding partition function is expressed as [11].

$$Q_{r,k} = \frac{1}{1 - e^{-h\nu_k/k_B T}} \dots\dots\dots(5)$$

Where k_B is Boltzmann constant ($k_B = 1.38066 \times 10^{-23}$ J/k), h is Planck's constant ($h = 6.626 \times 10^{-27}$ J.S) $h_{\nu k} / k_{BT} = \theta_{\nu k}$ is defined as vibrational frequency of mode k. The zero energy is defined as fully dissociated limit (free electrons and bare nuclei). At zero absolute temperature, there are very small motions of molecules, which is the zero-point vibrational energy (ZPVE or ZPE).

The zero-point vibrational energy ZPVE must be added to obtain all $3N-6$ vibrational modes, the total ZPVE [11] is

$$ZPVE = \frac{1}{2} \sum_{k=1}^{3N-6} \frac{h\nu_k}{k_B T} = \frac{1}{2} \sum_{k=1}^{3N-6} \theta_{\nu,k} \dots\dots\dots(6)$$

The ZPVE was calculated for glycine in water.

HOMO and LUMO Orbitals

The HOMO and LUMO orbitals are evaluated theoretically and drawn in Figure 1 indicating the last filled orbital shape and minimum empty orbital. These orbitals obtained from alpha orbitals evaluated from Gaussian 09 package. Also, different HOMO orbitals were represented in Figure 1 which are HOMO-1, HOMO-2, HOMO-3, HOMO as explained before in the last filled orbitals. Different loops were appeared in last HOMO orbital which is jointed in lower filled HOMO orbital. The LUMO orbital is bigger one in comparison to the orbitals above it, like LUMO+1, LUMO+2, LUMO+3 and LUMO+4 (Figure 1). The energy gap which is the difference between last HOMO and first LUMO orbitals is 0.2294 eV. This value indicates that glycine in water can conduct electricity in good case. The energy gap between last HOMO and other LUMO orbitals increases as represented in Table indicating less conduction for large transfer of electrons.

Different contribution for Glycine in Water:

The different types of motions were studied theoretically for glycine in water and summarized as given next.

Contributions from Translation

The translational partition function was used for evaluating the translational entropy (which donate e factor which comes from Stirling's approximation:

$$St = R(\ln(Q_t e)) + T \left(\frac{3}{2T} \right) = R(\ln Q_t + 1 + \frac{3}{2}) \dots\dots\dots(7)$$

The contribution to internal energy is:

$$E_t = N_A k_B T^2 \left(\frac{\partial \ln Q}{\partial T} \right)_v = RT^2 \left(\frac{3}{2} \right) \dots\dots\dots(8)$$

Finally, the heat capacity at constant volume is

$$C_v = \left(\frac{\partial E_t}{\partial T} \right) \dots\dots\dots(9)$$

Contributions from Electronic Motion

This last contribution can be calculated from the electronic partition function

$$Q_e = W_0 e^{-\epsilon_0/k_B T} + W_1 e^{-\epsilon_1/k_B T} + W_2 e^{-\epsilon_2/k_B T} \dots\dots\dots(10)$$

Where w is the degeneracy of energy level, E_0, E_1, E_2

E_n is the energy in n-level.

The entropy due to electronic kinetic motion is:

$$S_e = R(\ln Q_e + T \left(\frac{\partial \ln Q_e}{\partial T} \right)_v) \dots\dots\dots(11)$$

$$S_e = R(\ln Q_e + 0) \dots\dots\dots(12)$$

Since we have no temperature dependent terms in partition functions, the electronic heat capacity and electronic motion energy and internal energy are both zero

Contribution from Rotational Motion

The rotational partition function is:

$$Q_r = \frac{1}{\delta_r} \left(\frac{t}{\theta_r} \right) \dots\dots\dots(13)$$

Where $\theta_r = h^2 / 8\pi^2 I k_B$, I is the moment of inertia, δ_r is the rotational diameter

The entropy of rotation is given by:

$$S_r = R(\ln Q_r + T \left(\frac{\partial \ln Q_r}{\partial T} \right)_v) \dots\dots\dots(14)$$

The contribution for rotation internal energy is:

$$E_r = RT^2 \left(\frac{\partial \ln Q_r}{\partial T} \right)_v \dots\dots\dots(15)$$

And contribution to heat capacity is:

$$C_v = \left(\frac{\partial \ln E_r}{\partial T} \right)_v \dots\dots\dots(16)$$

For nonlinear molecule as glycine, the rotation energy and heat capacity at constant volume is given by:

$$E_r = RT^2 \left(\frac{3}{2T} \right) \dots\dots\dots(17)$$

$$C_v = \frac{3}{2} R \dots\dots\dots(18)$$

Contributions from Vibrational Motion

This last contribution follow equation (19)

$$Q_{v,k} = \frac{e^{-\theta_{v,k}/2T}}{1 - e^{-\theta_{v,k}/T}} \dots\dots(19)$$

The total entropy, energy and C_v from vibrational partition function are:

$$S_v = R(\ln(Q_v)) + T\left(\frac{\partial \ln Q}{\partial T}\right) \dots\dots(20)$$

$$E_v = R \sum \theta_{v,k} \left(\frac{1}{2} + \frac{1}{e^{\theta_{v,k}/T} - 1} \right) \dots\dots(21)$$

$$\text{And } C_v = \sum_k e^{\theta_{v,k}/T} \left(\frac{\theta_{v,k}/T}{e^{\theta_{v,k}/T} - 1} \right) \dots\dots(22)$$

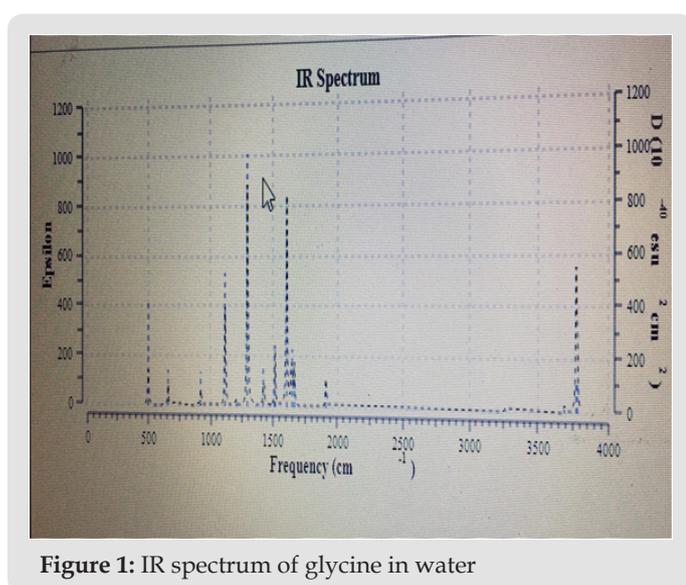


Figure 1: IR spectrum of glycine in water

Output from Frequency Calculations. The first part of the obtained frequency data for glycine in water using theoretical evaluation by Gaussian 09 is the degree of freedom which is 15 for glycine in water. The rotation constant in GHZ are 10.588, 4.2511 and 3.149. The calculation based on standard basis 3-21G. The second result is the dipole moment and multiple moments for glycine in water. The individual different moment direction are given in Appendix table with high total dipole moment of 14.013 in water explaining it high activity in aqueous media. Glycine also has big quadrupole moment, traceless quadrupole moment, octupole moment and hexadecapolar moments as given in colligative table for Glycine properties. All different types of moments are calculated in Debye and using field-independent basis as done theoretically by the Gaussian package program Figure 1. The third output result is the infrared bands for Glycine in water which given in Figure.... This Figure contains at least 16 peak ranging from very weak to very sharp. The theoretical program gave 24 bands with three imaginary negative values for the different frequencies of stretching and bending in Glycine compound Figure 2. NMR calculated spectra gave the necessary peaks. The next part gives some characteristics

of Glycine based on the moment of inertia including its energies values of 170.45, 424.52, and 573.02 atomic units as explained in colligative Figure 2.

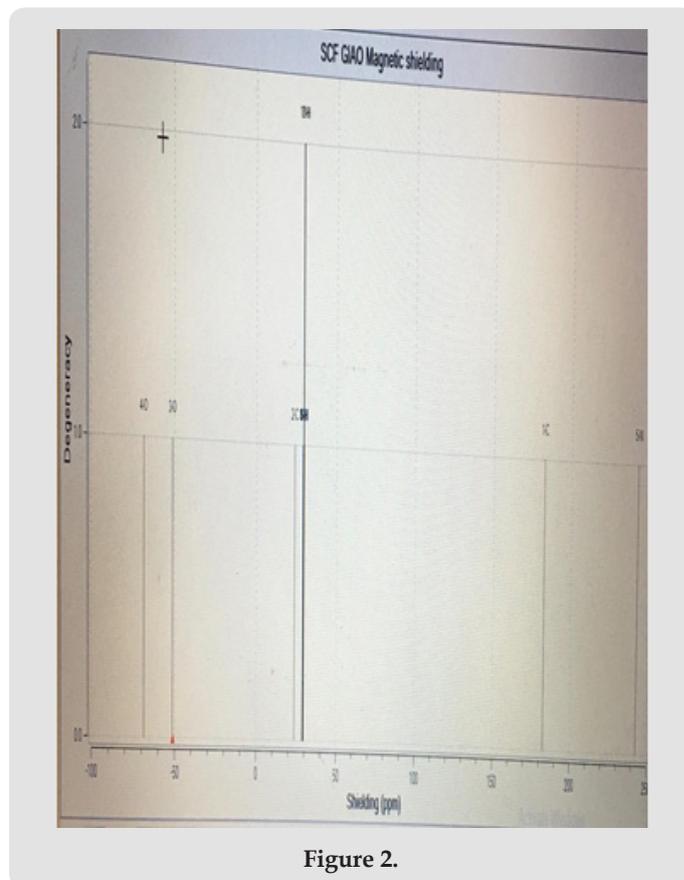


Figure 2.

The zero-point energy is calculated using non-imaginary frequencies. Glycine molecule is an asymmetric top, rotational symmetry number is 1, rotational temperatures are 0.5081, 0.204 and 0.151 in kelvin, rotational constants are 76.55, 20.429 in GHZ. The zero-point vibrational energy is 226.21 kJ/mol since all the thermochemistry and thermodynamic data depend on Glycine structure Table 2. All thermal and thermodynamic parameters evaluated include the zero-point energy, because the first line gives the correction to different types of energies. The next part in the colligative table listing different individual contributions to internal thermal energy (E_{thermal}), heat capacity at constant volume (CV) and entropy (S). For every low different frequency mode, there will lines label (vibration 1), (vibration 2) give contribution of the values estimated with source of error. Finally, table gives the different partition function. The line Bot for vibrational partition function with zero energy, $V=0$ computed with zero being first vibrational level, $V=1$, computed with first level being first vibrational level and so on. All thermodynamic and thermal properties calculated for glycine in water prove its high activity as very reactive agent. It is clear from Table.... for the NBO (Natural bonding orbitals) net charge zero and individual charges in each atom in the molecule (Table 3 and Figure 3).

Table 2: Natural Atomic Orbital and Natural Bond Orbital Analysis.

Summary of Natural Population Analysis					
Atom No	Charge	Core	Valence	Rydberg	Total
C 1	-0.39324	1.99800	4.37586	0.01939	6.39324
C 2	0.56637	1.99844	3.37589	0.05930	5.43363
O 3	-0.70205	1.99974	6.69978	0.00253	8.70205
O 4	-0.70123	1.99974	6.69911	0.00237	8.70123
N 5	-0.74728	1.99917	5.74270	0.00542	7.74728
H 6	0.28218	0.00000	0.71435	0.00347	0.71782
H 7	0.28218	0.00000	0.71435	0.00347	0.71782
H 8	0.48020	0.00000	0.51845	0.00134	0.51980
H 9	0.46643	0.00000	0.52733	0.00624	0.53357
H 10	0.46643	0.00000	0.52733	0.00624	0.53357

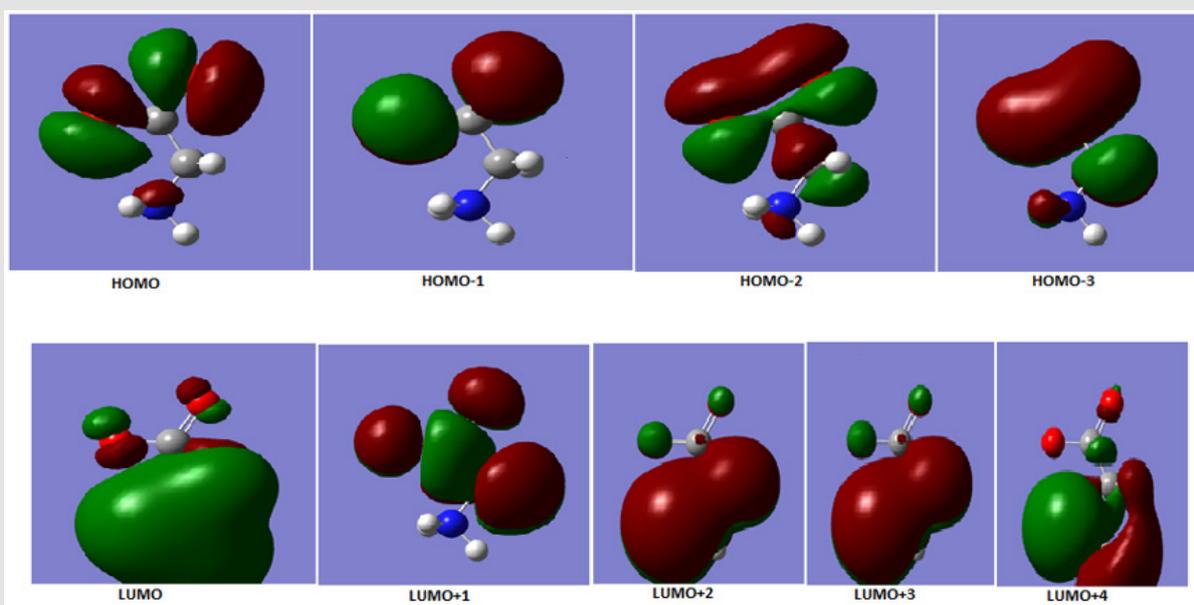
Note: Total *0.00000 9.99510 29.89514 0.10976 40.00000*

RESON / : Allow strongly delocalized NBO set/

Table 3: For the NBO (Natural bonding orbitals).

Natural Population					
Natural Population	Charge	Core	Valence	Rydberg	Total
C 1	-0.39324	1.99800	4.37586	0.01939	6.39324
C 2	0.56637	1.99844	3.37589	0.05930	5.43363
O 3	-0.70205	1.99974	1.99974	0.00253	8.70205
O 4	-0.70123	1.99974	6.69911	6.69911	8.70123
N 5	-0.74728	1.99917	5.74270	0.00542	7.74728
H 6	0.28218	0.00000	0.71435	0.00347	0.71782
H 7	0.28218	0.00000	0.71435	0.00347	0.71782
H 8	0.48020	0.00000	0.51845	0.00134	0.51980
H 9	0.46643	0.00000	0.52733	0.00624	0.53357
H 10	0.46643	0.00000	0.52733	0.00624	0.53357
Total	0.00000	9.99510	29.89514	0.10976	40.00000

Reason / : Allow strongly delocalized NBO set/

**Figure 3.**

Conclusion

All the thermal, classic thermodynamics, IR, NMR, statistical thermodynamic data for glycine in water were calculated using Gaussian 09 theoretically in water. The data proves the activity of glycine in water as very reactive agent. This behavior is illustrated from molecular orbitals and colligative specific properties of glycine in water.

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ISSN: 2574-1241

DOI: 10.26717/BJSTR.2019.23.003887

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